New York:

Palgrave Macmillan, 2019. ISBN: 978-3-030-18548-0 (hardcover, \$84.99).

Introduction by Michael S. Neiberg, U.S. Army War College

Alexandra and a second and an and an and a second and an and a second second second second second second second Same second se Same second se

 $(N_{1}, 2007), \quad (N_{1}, L_{1}, L_{1}, L_{1}, L_{2}, L_{$

Review by Kathleen Burk, University College London

This relationship is not an end in itself but must be used as an instrument of achieving common objectives. We cannot afford to permit a deterioration in our relationship with the British."²]

 $\begin{array}{c} F_{1} = e_{1}, H_{1} = e_{1}, e_{2}, e_{2}, e_{3}, e_{4}, e_{4}, e_{4}, e_{4}, e_{5}, e_{4}, e_{4},$

Review by David Clinton, Baylor University

Review by Daniel Gorman, University of Waterloo

 $(H_{1}, h_{2})^{2} = (C_{1}, h_{2}, h_{2}, h_{2}, h_{3})^{2} = (A^{2}, h_{2}, h_{3}, h_{3})^{2} = (A^{2}, h_{3}, h_{3})^{2} = (A^{2}, h_{3})^{2} = (A^{2},$

A $\mathfrak{m}_{\mathcal{A}}$ is $\mathfrak{m}_{\mathcal{A}}$ is a $\mathfrak{m}_{\mathcal{A}}$ is a $\mathfrak{m}_{\mathcal{A}}$ is a $\mathfrak{m}_{\mathcal{A}}$ is $\mathfrak{m}_{\mathcal{A}}$

I = IRAC = i, i = i, i = i, i = i, j = i, i = j = i, i = j = i, j = i

² \mathbf{F} , \mathbf{h} , A^{l} , μ , A^{l} ,

and the second second

```
(A_{1}) (A_{2}) (A_{2}) (A_{3}) (A_{4}) (A_{
```

 $\begin{array}{l} \left\langle \mathbf{x}_{1}, \mathbf{x}_{2}, \mathbf{x}_{3}, \mathbf{x}_$

 $R = e_{A_{1}} + e_{A_{1}} + e_{A_{2}} +$

 $\begin{array}{c} O \\ (, , ,) \\ (, , ,) \\ (, , ,) \\ (, , ,) \\ (, , ,) \\ (, , ,) \\ (, , ,) \\ (, , ,) \\ (,) \\ (, ,) \\ ($

 $(\dots, A) = -A = (x_{1}) + (x_{2}) + (x_{2}) + (x_{2}) + (x_{3}) +$

Complete of the set of Complete of A -Alger governess of the complete of the c

 $N_{i} \rightarrow S_{i} = P_{i} = P_{i} = P_{i} = 24 O_{i} = 2019, \underline{a_{i}} = \frac{2019}{10/24}, \underline{a_{i}} = \frac{2019}{10/24}, \underline{a_{i}} = \frac{1}{10}$

 $= \{ (1, 1), \dots, (1, n) \}$

Here \mathbf{H}_{1} , \mathbf{h}_{2} , \mathbf{h}_{3} , \mathbf{h}_{4} ,

 $H_{1} + \frac{1}{2} = \frac{1}{2} + \frac{1}{2$

 $C_{1} = \frac{1}{2} + \frac{1}{2$

Review by Srdjan Vucetic, University of Ottawa

 $S_{A} + x_{2} + \cdots + x_{n} + I_{A} + \dots + x_{n} + x_{n} + A_{n} + A_{n} + A_{n} + \dots + A_{n} +$

 $(1) \quad A \in \{1, 2\} \quad (1) \quad (1) \quad (1) \quad (2) \quad (3) \quad (3)$

 $S_{1} + ... + ... + ... + ... + G_{1} + ... +$

 Response by David Haglund, Queen's University

as Landa, so the second state of a second second

- . A start of the second s
- $= \{ (1, 2) \in \mathbb{Z} : (1, 2) \in \mathbb{Z} : (2, 2)$

 $\mathbf{e} = \sum_{i=1}^{n} \mathbf{E} \left[\left\{ \mathbf{e}_{i} \right\} + \left\{ \mathbf{e}_{i}$

 $S_{n} \in A_{n} \quad (-, -) \quad (-,$

 S_{1} , c_{1} , b_{2} , c_{1} , b_{2} , c_{1} , b_{2} , c_{1} , c_{2} , c_{2} , c_{2} , c_{2} , c_{2} , c_{2} , b_{2} , c_{2} , b_{2} , c_{2} , b_{2} , c_{2} , b_{2} , c_{2} , c

 $(A_{1,2}, ..., A_{2,2}) = (A_{1,2}, A_{1,2}, A_{2,2}, A_{2,2}) + (A_{2,2}, A_{2,2}, A_{2,2}) + (A_{2,2}, A_{2,2}, A_{2,2}) + (B_{2,2}, A_{2,2}) + (A_{2,2}, A_{2,2}) + (A_{2,2}$